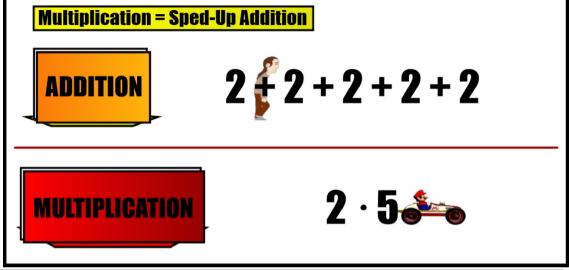
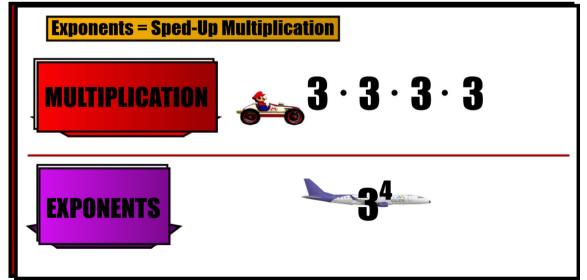
#### PRINCIPLES - LESSON 10A MULTIPLYING POWERS WITH LIKE BASES

Recall:





When two or more numbers are multiplied, each number is called a factor. An exponent is used to show how many times the factor, or base, is multiplied.

**When all of the factors** 

are written out separately,

EXPANDED.

the expression has been

# EXPONENT REVIEW

#### **Expand and then simplify.**

ex1) **3**<sup>4</sup>

$$= \underbrace{3 \cdot 3 \cdot 3 \cdot 3}_{\text{expanded}} = \underbrace{81}_{\text{simplified}}$$

ex2) **5**<sup>3</sup>

$$= \underbrace{5 \cdot 5 \cdot 5}_{\text{expanded}} = \underbrace{125}_{\text{simplified}}$$

ex3)  $\chi^6$ 

$$= \underbrace{\chi \cdot \chi \cdot \chi \cdot \chi \cdot \chi \cdot \chi}_{\text{expanded}} = \underbrace{\chi}_{\text{simplified}}^{6}$$

This expression was simplified (simplified from the start!)

# FIND THE RULE

**Expand and then simplify.** 

ex4) 
$$2^3 \cdot 2^4$$

$$= 2 \cdot 2 \cdot 2 \cdot 2 \cdot 2 \cdot 2 \cdot 2 = 2^7 = 128$$

ex5) 
$$\chi^5 \cdot \chi^3$$

$$= \chi \cdot \chi \cdot \chi \cdot \chi \cdot \chi \cdot \chi \cdot \chi = \chi$$

**Shortcut to multiplying powers with like bases: ADD EXPONENTS** 

Simplify.

ex6) 
$$y^8 \cdot y^{15} = y^{8+15} = y^{33}$$

ex8) 
$$a^6 \cdot b^4 = 664$$

Our rule only works when we have LIKE bases. We cannot add the exponents on different variables.

Simplify.

**We can use the commutative property to change the order of multiplication.** 

ex9) 
$$5a^3b^7 \cdot 3a^2b^4c^9$$

$$= 5.3.a^3.a^2.b^3.b^4.c^9$$

$$= 15 \cdot a^{3+2} \cdot b^{7+4} \cdot c^9$$

When multiplying two expressions, always MULTIPLY COEFFICIENTS FIRST.

#### Simplify.

ex10) 
$$(-2x^2y^4)(-5x^6y)$$

$$= -2 \cdot (-5) \cdot \chi^2 \cdot \chi^6 \cdot \gamma^4 \cdot \gamma^1$$

$$= 10 \cdot \chi^{2+6} \cdot \gamma^{4+1}$$

$$= 10 x^8 y^5$$

#### Simplify.

ex11) 
$$(\underline{m}^{6}\underline{n}^{13}\underline{p}^{10})(-\underline{m}\underline{n}^{4})$$

$$= | \cdot (-1) \cdot m^6 \cdot m \cdot n^{13} \cdot q \cdot \rho^{10}$$

$$= -1 \cdot M^{6+1} \cdot N^{3+4} \cdot \rho^{10}$$

$$= \left[ -\frac{71710}{\text{mnp}} \right]$$

#### Simplify.

ex12) 
$$(-4a^3b^2)(a^5b^4)(-3a^5)$$

$$= -4 \cdot 1 \cdot (-3) \cdot a^{3} \cdot a^{5} \cdot a \cdot b^{2} \cdot b^{4}$$

$$= |\lambda| \cdot 0^{3+5+5} \cdot 0^{2+4}$$

$$= ||2a^{13}b^6||$$